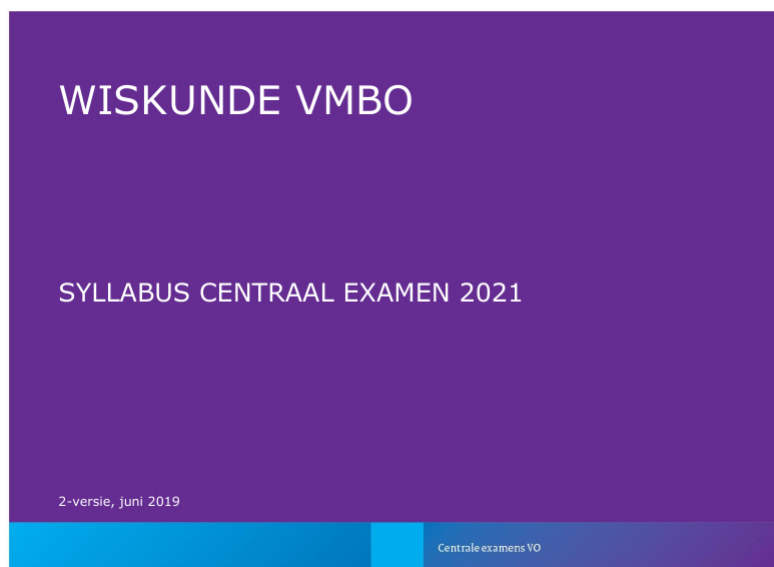


# Dutch Government Math rendering

End 2021 and beginning 2022 Mikael Sundqvist and I spent quite some time on an upgrade of the math engine. Because  $\TeX$  itself is frozen that was done in  $\text{LuaMeta}\TeX$ , which is our follow up on  $\text{Lua}\TeX$ . That effort was all about consistency, avoiding side effects, optimized spacing and line breaks, compensating for issues in OpenType math fonts, interfaces and more. The  $\TeX$  engine already does a good job on math, if only because it's one of the reasons for its existence and when looking at the way it's done one always needs to keep in mind the limitations of those days: memory, performance, font technology, etc. But with the arrival of OpenType math and after many years of working with  $\TeX$  we took the opportunity to discuss and improve math typesetting in  $\text{Con}\TeX\text{t}$  using new features of  $\text{LuaMeta}\TeX$ .

When one spends so much time on something that is sort of a niche application (math) a valid question is “Who will benefit from it?”. Decades of observing  $\TeX$  usage has made clear that it's mostly for users who like to make their document look nice. I'm not sure if publishers still care, as they outsource composition and often demand usage of word processors or visual markup tools. Even academic usage in for instance reports, course materials and thesis is questionable because not every  $\TeX$  user cares for an non-voluntary usage of some program just for the sake of getting something on paper.

So, in the end all that effort on an upgraded engine is for the happy few who love to see things done right. Because  $\text{Con}\TeX\text{t}$  has some focus on educational usage it is no surprise that I occasionally run into a document that targets education and also has some math. In this case I will show some usage of math in a document that describes what school kids have to learn. We're talking vocational education so one can imagine that a lot of attention is paid to lowering the boundaries, easing understanding, and being consistent in presenting the learning objectives. Alas.





We stay with the ‘x’ and get a slightly different italic serif this time. It is combined with a sans serif ‘y’ and upright somewhat bold ‘a’. Again, for this to be done in  $\TeX$  one needs to exercise some effort because normally all come out in a math italic font. Spacing fractions is not always trivial especially when you see different ones alongside but consistency is nevertheless important.

$$y = \frac{a}{x}$$

That the ‘x’ brings some artistic freedom is clear, but at least we have two similar shapes here. I'm not sure how one can explain to a student that this time we use an upright sans. It's probably all about the ‘x’ being smaller and raised.

$$y^x$$

It is possible to have all symbols in italic, as is seen from the next snippet. Spacing could be a bit better but at least there is some consistency here.

$$h = 2t - 9$$

However, when one reads on this shows up:

$$y = \frac{1500}{x}$$

We do have two (this time serif) italic ordinary characters ‘x’ and ‘y’ but the number ‘1500’ made of digits is somewhat large and probably is typeset as an independent quantity.

As a welcome distraction we now show a table. The alignment in the first column is peculiar. As with much in this document it looks like there has been no proofreading at all. The numbers in the other cells are not (right) aligned and sit high in the cells and of course frames around the cells are used. A student might wonder if there is a difference between three and five dots. No matter how one abuses  $\TeX$ , the commands that produce dots always produce the same amount: it's a proper glyph (shape)!

<i>Afstand</i> (in km)	1	2	5	10	20	...
<i>Prijs</i> (in euro's)	9,10	10,20	13,50	19	.....	.....

Sometimes two successive lines indicate some concept (I guess) but that is no reason for this rendering. I cannot imagine that students are supposed to interpret such formulas depending on the inconsistent mix of fonts and weights being used. (In the following case using `opp` could have saved some space.)

$$\begin{aligned} \textit{inhoud}_{\textit{kegel}} &= \frac{1}{3} \times \textit{opp grondvlak} \times \textit{hoogte} \\ \textit{inhoud}_{\textit{kegel}} &= \frac{\textit{oppervlakte grondvlak} \times \textit{hoogte}}{3} \end{aligned}$$

Here comes another beauty, a mix of digit ‘0’ (or is it the letter ‘O’) and a degrees ‘°’ symbol (I assume). In a decent (OpenType) math font the script symbols can have a shape optimized for the smaller size so one can't know I guess.

$$(0^\circ)$$

It is time again for a larger blob of text. Do you recognize the symbol pi ( $\pi$ ) (it's not an ‘n’ but it comes close)? And what about the superscript digits ‘2’ and ‘3’ that also get special spacing? Weren't the digits upright in previous examples? The fractions look like some small image squeezed in with a non proportional scale.

$$\begin{aligned} \text{omtrek cirkel} &= \pi \times \text{diameter} \\ \text{oppervlakte cirkel} &= \pi \times \text{straal}^2 \\ \text{inhoud prisma} &= \text{oppervlakte grondvlak} \times \text{hoogte} \\ \text{inhoud cilinder} &= \text{oppervlakte grondvlak} \times \text{hoogte} \\ \text{inhoud kegel} &= \frac{1}{3} \times \text{oppervlakte grondvlak} \times \text{hoogte} \\ \text{inhoud piramide} &= \frac{1}{3} \times \text{oppervlakte grondvlak} \times \text{hoogte} \\ \text{inhoud bol} &= \frac{4}{3} \times \pi \times \text{straal}^3 \end{aligned}$$

By now you get the picture, so we show a few more in one go:

$$y = ax + b$$

$$y = \mathbf{b} \mathbf{g}^t$$

$$y = \mathbf{a} \mathbf{x}^n + \mathbf{b}$$

In  $\text{\TeX}$  there is a concept of a math axis, but not in the next example, and again one can wonder if the ‘a’ and ‘x’ come from the same font. I did not bother to disassemble the pdf. In  $\text{\TeX}$  you can mess up the spacing too, but I get the impression that the ‘x’ is way below what a strut would enforce.

$$y = \frac{\mathbf{a}}{\mathbf{x}}$$

We started with a radical symbol that was somewhat high relative to what went under it. But it can't be worse than this. Not only do we have a squeezed radical symbol, the whole assembly also moved below the baseline: that takes some effort.

$$y = \sqrt{\mathbf{x}}$$

It is not uncommon to see some upright in math formulas, think of sine and cosine operators, often used in conjunction with parentheses  $\sin(x)$ . But the inverse operator in the next example is special: it is not only in bold, but also negated. And it seems not to be an issue to show it combined with an upright bold ‘y’ raised to the power bold ‘y’ in spite of a previous also upright regular variant. If in this case calculator operations are meant, a more appropriate font or symbol should have been used.

$$y^x \text{ en } \mathbf{INV-} \mathbf{y}^x$$

At some point one gets accustomed to this kind of rendering and maybe when that happens those who are supposed to (proof) read this will not notice anything weird and inconsistent in the larger clip below:

n zoals  $x \leq 2$  en  $y \geq 5$  k  
 lijk beschreven in de taa  
 $y = \sqrt{x+4}$  is te herleid  
 kingen. Leerlingen moet  
 in dit geval mogen word  
 nptoot hoeft niet gekend  
 de formule  $y = \frac{1500}{x}$  w

Not only are all 'x' and 'y' letters different, so are the digits and equal signs. It is hard to imagine that the thousands of readers of a document like this who have an education in math don't find this amusing. Personally it makes me sad. How can we expect students to pay attention to anything they have to produce if this kind of crap comes from the government. There was a time when such official documents were typeset by the state publisher that employed famous typesetters and proper printers. Even when much got delegated to departments responsible for communication that used typewriters with these math specific symbol bulbs there was professional pride involved. One can only wonder about the quality criteria that get applied today. There is simply no excuse for this and also not for the interline and inter atom spacing in the next one:

$$h = n \times (n - 1) + (n - 1) \times n$$

$$h = (n^2 - n) + (n^2 - n)$$

$$h = 2n^2 - 2n$$

But maybe spacing has some meaning that I don't grasp because I cannot imagine that proof reading did not catch the next snippet, one that also uses very thin underlining:

met  $afstand_{loopband} = 1\frac{2}{3} \times tijd$   
 Als je rustig loopt naast een loopband z  
 ziet, kun je het verband tussen *afstand*  
 aangeven met  $afstand_{lopend} = 1\frac{1}{9} \times tijd$

Maybe documents like this don't get proofread. In fact, maybe they are not even (supposed to be) read. Maybe it's just some outsourced effort that ends up on a website and leaves the actual content to the teachers. Maybe one only has to look at some exams and drill and practice for what is in there. Maybe no one really cares.

<i>rijnummer</i>	1	2	3	4	.....	10
<i>aantal zitplaatsen</i>	18	21	24	27	.....	45

The table above actually starts the document and again proves that no one checked it, because I cannot imagine anyone not noticing the line breaks in the pre-last cells where the (this time) eight dots would have fit quite well.

So, what conclusion can we draw from this? First of all that there is a total lack of attention to how something looks and feels and thereby is perceived. Personally I am not willing to even consider this a serious document at all. If textual consistency is lacking then for sure the content is also not consistent and checked. And I did not even discuss the text, punctuation, spacing, usage of quotes and excessive use of frames around pages. We can only hope that documents like these get lost over time so that no one can wonder how badly typesetting has evolved since the middle ages.

It also reveals to me that working on  $\text{\TeX}$  is really dedicated to users who do care and not to this kind of institutionalized math usage. But above all, it makes me aware of the fact that it is no wonder that math is unpopular among kids. If it looks like crap, it must be crap. We really should make math look ‘cool’ and ‘super’ these days and only using these buzz words when talking to kids is not enough! The good news is that after many decades  $\text{\TeX}$  users can still produce nicely looking documents with plenty of math.

Like:  $y = \sqrt{x+4}$  and  $y = \frac{a}{x}$  and  $y^x$  and  $h = 2t - 9$  and  $y = \frac{1500}{x}$  and  $y = ax^n + b$  and  $\text{inv}(-y^x)$  and  $0^\circ$  as well as:  $\text{inhoud}_{\text{kegel}} = \frac{1}{3} \times \text{oppervlakte grondvlak} \times \text{hoogte}$ , or:  $\text{inhoud}_{\text{kegel}} = \frac{\text{oppervlakte grondvlak} \times \text{hoogte}}{3}$ .

And you can mix in some colors, emoji, graphics and still be consistent. If you don't pay attention to your readers, don't expect your readers to pay attention to what you bring to the table. And, once you know how to use  $\text{\TeX}$  it's pretty easy and even saves time, because even getting a handful of formulas as bad as seen here takes time.

If you still wonder why we should care about these matters, imagine that you need new tires for a car and get it back with four differently sized ones. How would driving that car feel to you and would you be willing to keep that configuration for the time it takes to wear them off? Given that math (and teaching it) is pretty much about consistency, I suppose that when the rendering of math as shown here doesn't disturb you, you will also happily keep those different tires.

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